

Areas and Volumes:

<p><u>Area in terms of x (vertical rectangles):</u> $\int_a^b (\text{top} - \text{bottom}) dx$</p>	<p><u>Area in terms of y (horizontal rectangles):</u> $\int_c^d (\text{right} - \text{left}) dy$</p>
<p><u>General Volumes by Slicing:</u> Given: Base and shape of Cross-sections $V = \int_a^b A(x) dx$ if slices are vertical $V = \int_c^d A(y) dy$ if slices are horizontal</p>	<p><u>Disk Method:</u> For volumes of revolution laying on the axis with slices perpendicular to the axis $V = \int_a^b \pi [R(x)]^2 dx$ if slices are vertical $V = \int_c^d \pi [R(y)]^2 dy$ if slices are horizontal</p>
<p><u>Washer Method:</u> For volumes of revolution not laying on the axis with slices perpendicular to the axis $V = \int_a^b \pi [R(x)]^2 - \pi [r(x)]^2 dx$ if slices are vertical $V = \int_c^d \pi [R(y)]^2 - \pi [r(y)]^2 dy$ if slices are horizontal</p>	<p><u>Shell Method:</u> For volumes of revolution with slices parallel to the axis $V = \int_a^b 2\pi rh dx$ if slices are vertical $V = \int_c^d 2\pi rh dy$ if slices are horizontal</p>