

Trig Integrals:

Integrals involving $\sin(x)$ and $\cos(x)$:	Integrals involving $\sec(x)$ and $\tan(x)$:
<p>1. If the power of the sine is odd and positive: Goal: $u = \cos x$ i. Save a $du = \sin(x)dx$ ii. Convert the remaining factors to $\cos(x)$ (using $\sin^2 x = 1 - \cos^2 x$.)</p>	<p>1. If the power of $\sec(x)$ is even and positive: Goal: $u = \tan x$ i. Save a $du = \sec^2(x)dx$ ii. Convert the remaining factors to $\tan(x)$ (using $\sec^2 x = 1 + \tan^2 x$.)</p>
<p>2. If the power of the cosine is odd and positive: Goal: $u = \sin x$ i. Save a $du = \cos(x)dx$ ii. Convert the remaining factors to $\sin(x)$ (using $\cos^2 x = 1 - \sin^2 x$.)</p>	<p>2. If the power of $\tan(x)$ is odd and positive: Goal: $u = \sec(x)$ i. Save a $du = \sec(x)\tan(x)dx$ ii. Convert the remaining factors to $\sec(x)$ (using $\sec^2 x - 1 = \tan^2 x$.)</p>
<p>3. If both $\sin(x)$ and $\cos(x)$ have even powers: Use the half angle identities: i. $\sin^2(x) = \frac{1}{2}(1 - \cos(2x))$ ii. $\cos^2(x) = \frac{1}{2}(1 + \cos(2x))$</p>	<ul style="list-style-type: none"> • If there are no $\sec(x)$ factors and the power of $\tan(x)$ is even and positive, use $\sec^2 x - 1 = \tan^2 x$ to convert one $\tan^2 x$ to $\sec^2 x$ • Rules for $\sec(x)$ and $\tan(x)$ also work for $\csc(x)$ and $\cot(x)$ with appropriate negative signs
<p><i>If nothing else works, convert everything to sines and cosines.</i></p>	